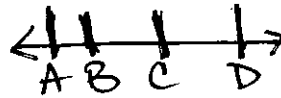
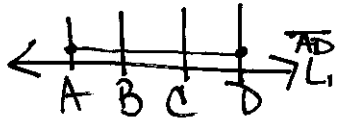


ex = $\overrightarrow{AD} \cup \overrightarrow{CA} = \overrightarrow{DA}$



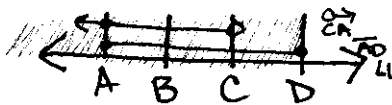
step 1 - diagram & label \overrightarrow{AD}



step 2 - diagram & label \overrightarrow{CA}

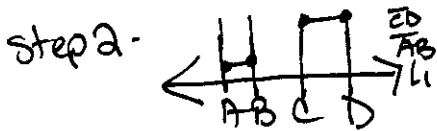
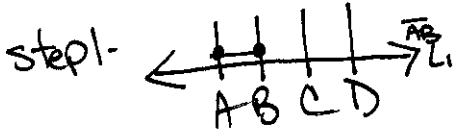
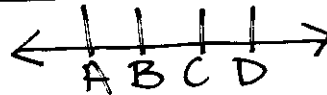


step 3 - find total portion which contains a combination of both lines.



NOTE = The answer is \overrightarrow{DA} because D is the furthest right that either line goes. \overrightarrow{CA} continues left. Our answer must stop at D and continue left.

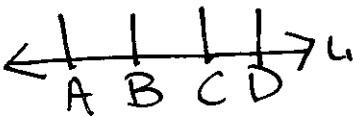
ex = $\overrightarrow{AB} \cup \overrightarrow{CD} = \emptyset$



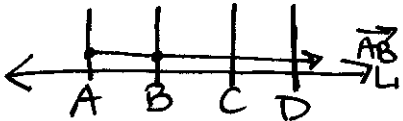
step 3 - find portion which contains both lines combined.

NOTE: The answer is \emptyset because we cannot combine the two segments.

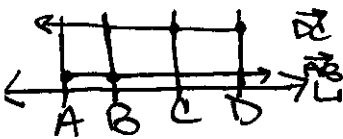
intersection (\cap) - a common set of points where both sets meet.
 - the area where two lines overlap/intersect.

ex = $\vec{AB} \cap \vec{DC} = \vec{AD}$ 

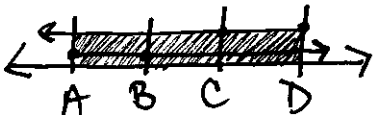
Step 1 - diagram & label \vec{AB}



Step 2 - diagram & label \vec{DC}



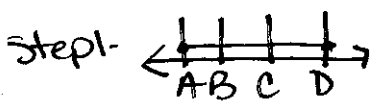
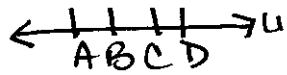
Step 3 ~~Diagram~~
 Find common area
 where both lines lie
 together/intersecting.



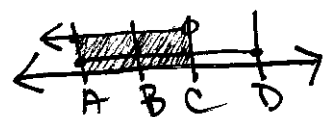
NOTE =

The answer is \vec{AD}
 because this is the
 only area where both
 lines meet. Only \vec{AB} goes
 further right. Only \vec{DC}
 goes further left.

ex = $\overline{AD} \cap \overline{CA} = \overline{AC}$

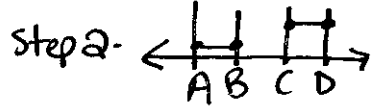
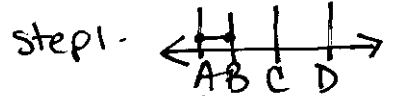
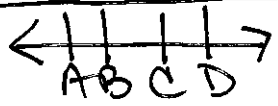


step 3 - find portion where both lines intersect.



NOTE =
The two lines only intersect from A to C not including C.

ex = $\overline{AB} \cap \overline{CD} = \emptyset$



step 3 - find area where they intersect

NOTE =
They do not intersect.

*** Planes**

Plane - two dimensional surface that extends infinitely in both directions.

Properties of a Plane

1) Any three points not on same line.

ex=

2) line in plane divides the plane into 3 parts.

ex=

3) Any line \in a point not on the line.

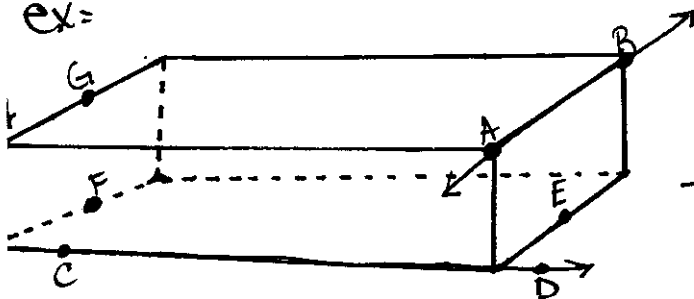
ex=

4) Intersection of two planes is a line.

ex=

- 2 planes that do not intersect are parallel planes.
- 2 lines that do not lie on same plane $\&$ do not intersect are skewed lines.

ex=



parallel planes:

skewed lines:

★ Angles

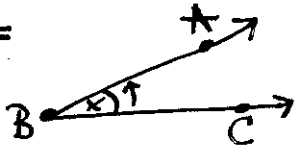
angle (\angle) - union of 2 rays w/a common end point.

• each angle has a _____ side & a _____ side.

• _____ - position of ray before rotation.

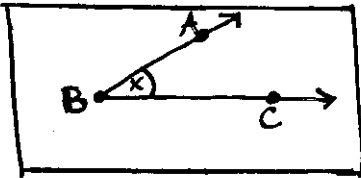
• _____ - position of ray after rotation.

ex=



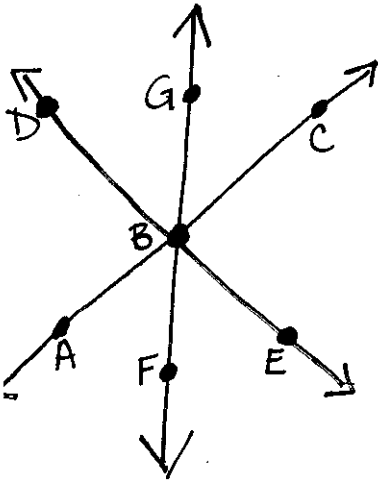
initial-
terminal-
vertex-

angle divides plane into 3 distinct parts



• measure of angle (m) - amount of rotation from initial to terminal.

ex = $m\angle ABC = x$




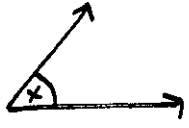


① $\vec{BG} \cup \vec{BF} =$

② $\angle ABG \cap \angle DBC =$

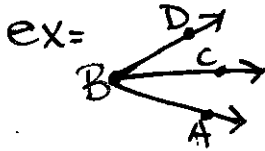
③ $\vec{DE} \cap \angle CBE =$

④ $\vec{BD} \cup \vec{BC} =$

Types of Angles

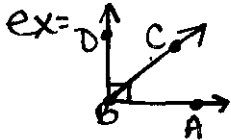
<p>Right Angle (90°)</p>  <p>$X = 90^\circ$</p>	<p>Acute Angle</p>  <p>$X < 90^\circ$</p>
<p>Obtuse Angle</p>  <p>$X > 90^\circ$</p>	<p>Straight Angle</p>  <p>$X = 180^\circ$</p>

• adjacent angles - 2 angles in same plane w/ common vertex & common side but no common interior points.

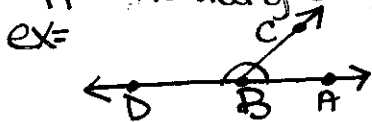


adjacent angles = _____

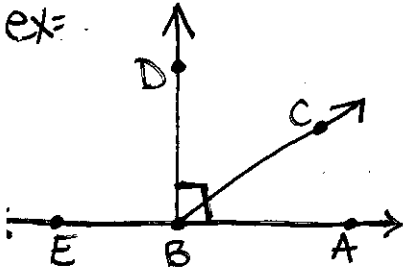
• complimentary angles - sum of two angles = 90°



• supplementary angles - sum of two angles = 180°



ex=

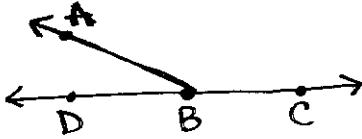


① $\angle ABC$ & $\angle CBD$ are complementary
 $m\angle ABC = 40^\circ$ Find $m\angle CBD$.

② $\angle ABC$ & $\angle CBE$ are supplementary
 $m\angle ABC = 40^\circ$ Find $m\angle CBE$.

③ $\angle ABC$ & $\angle CBD$ are complementary
 $m\angle ABC = 26^\circ$ less than $m\angle CBD$
Find $m\angle ABC$ & $m\angle CBD$.

ex=



① $\angle ABC$ & $\angle ABD$ are supplementary
 $m\angle ABC = 5$ times larger than
 $m\angle ABD$.

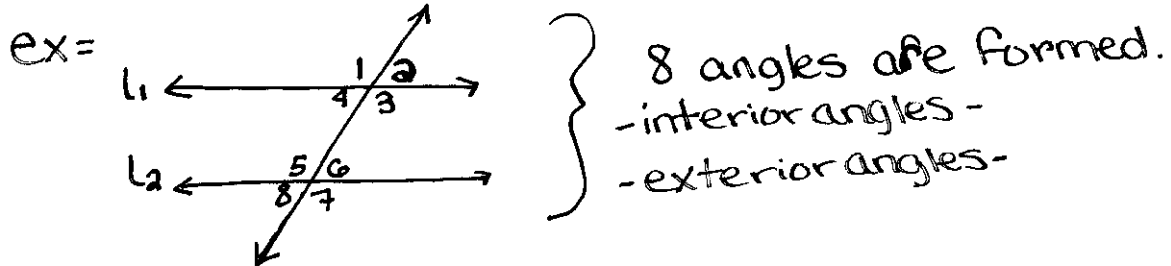
Find $m\angle ABC$ & $m\angle ABD$.

• Vertical angles - when 2 straight lines intersect, the non-adjacent angles are called vertical angles.

• Vertical angles have equal measures.

ex =

• transversal - a line that intersects 2 different lines at 2 different points.

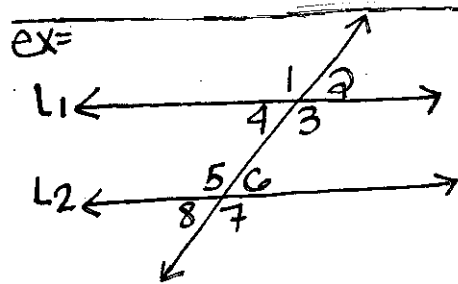


_____ • alternate interior angles - int. \angle on opposite sides of transversal

_____ • alternate exterior angles - ext. \angle on opposite sides of transversal

_____ • corresponding angles - 1 int. & 1 ext. \angle on same side of transversal

ex = $m\angle 8 = 53^\circ$ Find $m\angle 1-7$.



- ① _____
- ② _____
- ③ _____
- ④ _____
- ⑤ _____
- ⑥ _____
- ⑦ _____
- ⑧ 53°